

Distribution Calibration

A case study using OmniTRANS

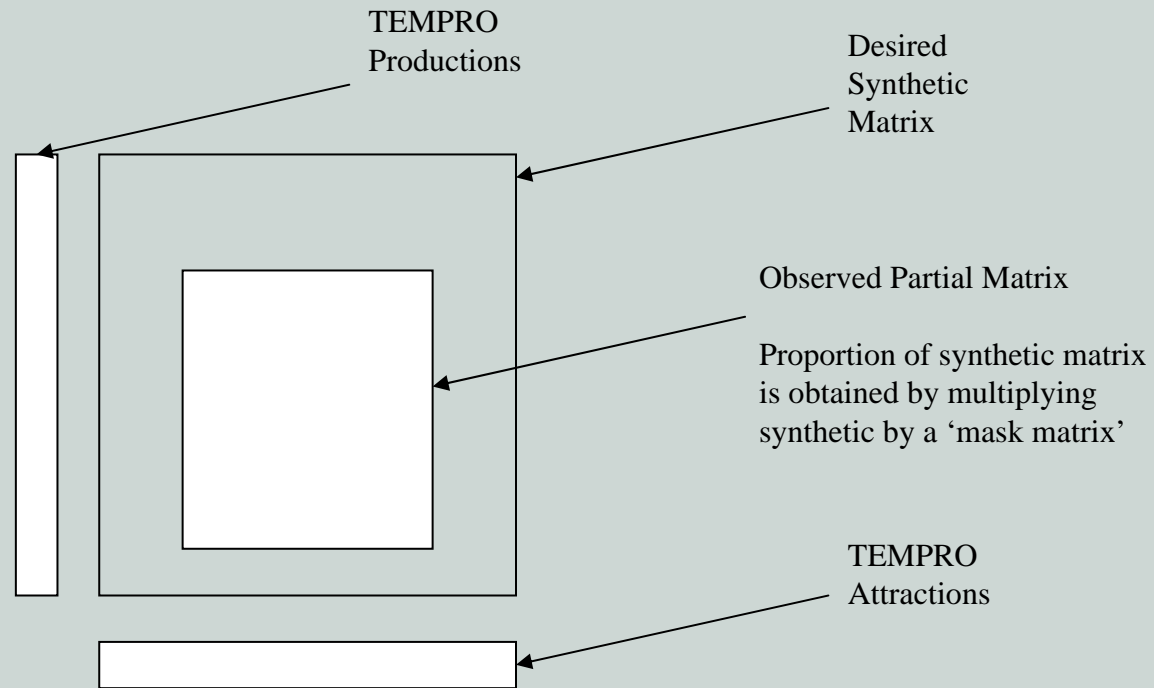
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OmniTRANS user group 28 May 2010

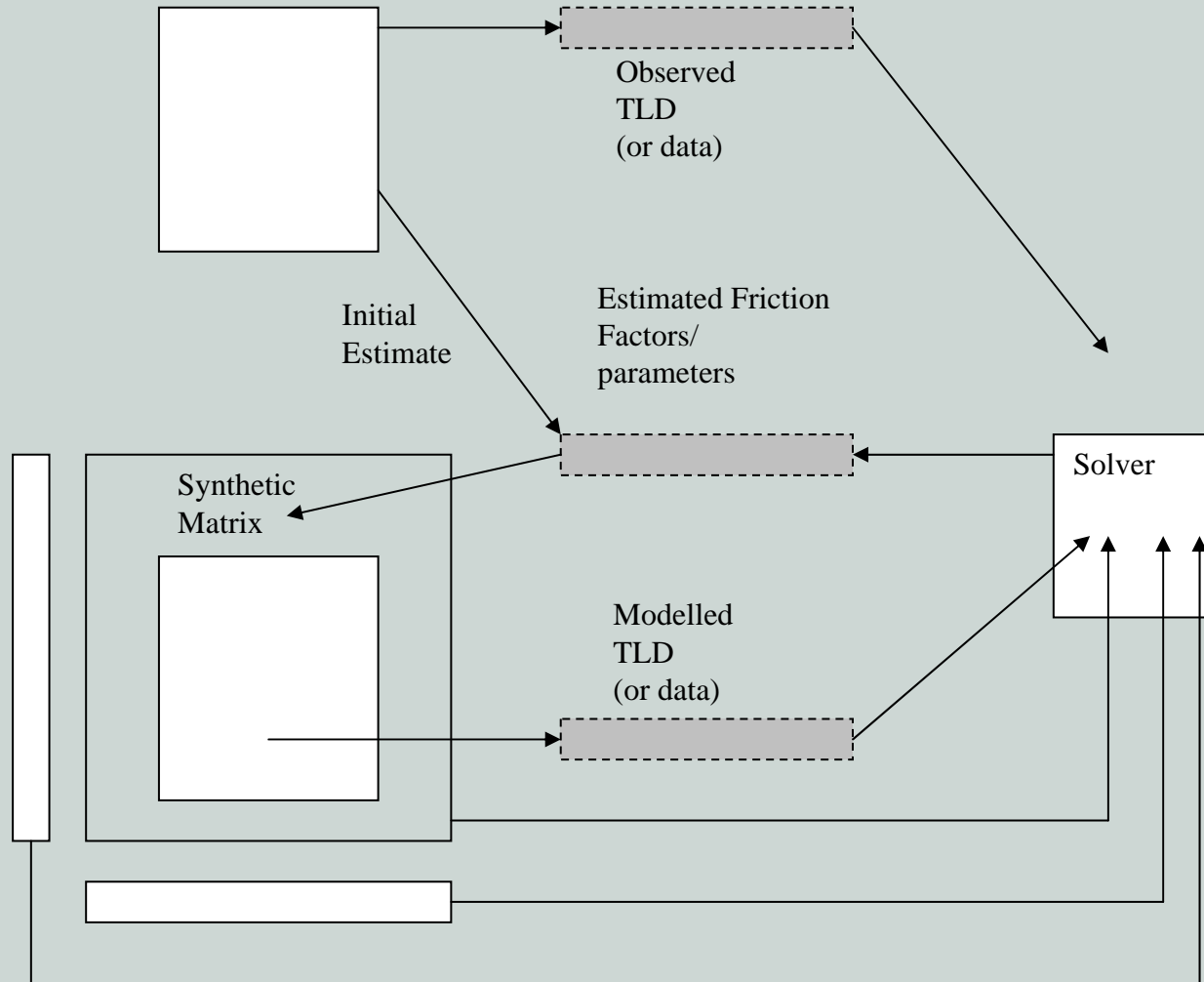
Calibration criteria

- ◆ Observed data:
Partial matrix by purpose, time and mode derived from RSIs
(preparation described at OT user group meeting Nov 2008)
- ◆ Origin and destination (or Production and Attraction) NTEM data
(for whole distribution matrix) from TEMPRO
- ◆ Aim: to obtain distribution parameters that when used with the
given Origin and destinations, provide the best match to the
observed data – in this case a partial matrix.

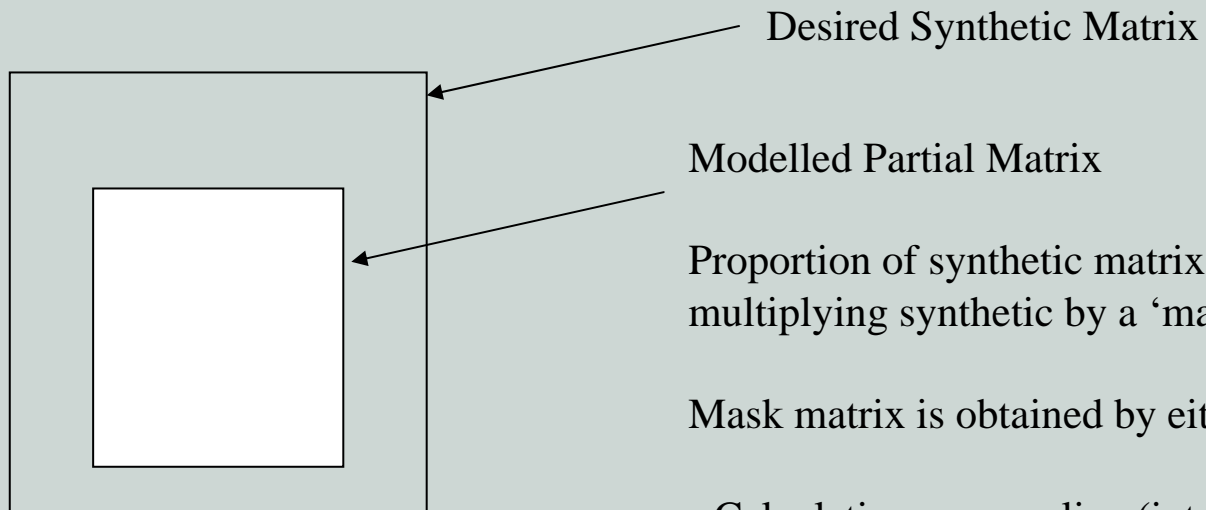
Distribution data schematic



Calibration schematic



Modelled Partial matrix



Proportion of synthetic matrix is obtained by multiplying synthetic by a 'mask matrix'

Mask matrix is obtained by either

- Calculating a screenline (intercept) matrix over all RSI sites
- Skimming with a link attribute of 1 for links containing RSI sites, and 0 otherwise.

The two methods should give identical results

Solver

- ◆ Aim: to obtain distribution parameters that when used with the given Origin and destinations, provide the best match to the observed data – in this case a partial matrix.
- ◆ A variety of solution methods may be used
- ◆ Preliminary calibration performed by matching the modelled Trip Length Distribution with the observed (both for the partial matrix) by calculation Friction Factors FF^k for each interval k of the TLD.

FF Solver

- ◆ Uses method of tri-proportion – an extended version of Furness
- ◆ Simple and quick to implement in Ruby ☺
- ◆ Can represent an arbitrary functional form ☺
- ◆ Does not give statistical estimates ☹
- ◆ Constrained to the aggregate intervals chosen for the TLD ☹

$$t_{ij} = O_i A_i D_j B_j FF^k, \text{ where } k = \lfloor c_{ij} / \text{cost_interval} \rfloor$$

$$B_j = D_j / \sum_i t_{ij}, \quad A_i = O_i / \sum_j t_{ij}, \quad FF^k = \text{ObsTLD}^k / \text{EstTLD}^k$$

- ◆ Could use maximum likelihood or least squares
 - gives statistical estimates and allows disaggregate data

Conclusions

- ◆ Calibration should model the observed data, but within the framework of the forecast data structure
- ◆ Possible to implement this in Ruby efficiently
- ◆ OmniTRANS is good at managing the data structures
- ◆ OmniTRANS is poor at calculating screenline matrix over many sites and cannot yet calculate user specified skims

The Future

- ◆ Maximum LL solver might be implemented reasonably efficiently in Ruby using the supplied matrix library
- ◆ Might be able to do this efficiently using a 'contraction mapping' to reduce the dimensionality of the attractions (columns)
- ◆ This method would iterate between classical Newton iterations over the parameters and Furness over the attractions